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dat = classdata("fev2.dat"); dat$fev = 10*dat$fev
```

```
FEV:    Forced Expiratory Volume
HEIGHT: height in inches
AGE:    age in years

> anova(mod)
      Df SumSq MeanSq Fvalue    Pr(>F)
HEIGHT  1 16444.7 16444.7 807.959 < 2.2e-16
AGE      1   582.4   582.4  28.615 1.429e-07
Residuals 436  8874.1    20.4
```

```
> mod <- lm(FEV~HEIGHT+AGE, data=dat)
```

```
> summary(mod)
              Estimate Std. Error t value Pr(>|t|)
(Intercept) -63.329      3.56778 -17.750 < 2e-16
HEIGHT       1.353      0.06369  21.239 < 2e-16
AGE          0.605      0.11304   5.349 1.43e-07

> vcov(mod)
              (Int) HEIGHT AGE
(Int)      12.729 -0.216  0.098
HEIGHT     -0.216  0.004 -0.004
AGE         0.098 -0.004  0.013
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Residual std error: 4.511 on 436 degrees of freedom
F-statistic: 418.3 on 2 and 436 DF, p-value: < 2.2e-16
```

- Testing $H_0: \beta_1 = \beta_2 = 0$ vs. $\sim H_0$
- Suppose we want to find the expected change in FEV for a simultaneous 1 inch decrease in height and 1 year increase in Age. $\rightarrow$ linear contrast: $L = -1*\beta_1 + \beta_2$
We need to estimate L and its Standard Error, using the fact that
$$\text{var}(A+B) = \text{var}(A) + \text{var}(B) + 2*\text{cov}(A,B)$$