Announcements - 10/16/00

- *Exam #2:* Wednesday, 10/18, 7:00 pm
 - A141 Cook
 - Exam #2 Info Page
- Demo Today!

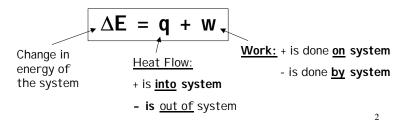
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First Law of Thermodynamics

- "The total energy of the universe is constant."
- "Energy is neither created or destroyed in a process, only converted to another form."

-Conservation of Energy

■ "You can't win . . . you can only break even."



Example: Gas in a cylinder (fixed volume)

■ Suppose we have a gas in a cylinder with a movable piston:

•What if:

•The piston is locked in a fixed position

-Volume is constant, so: $\mathbf{W} = \mathbf{0}$

 $-> w = f \times d$ OR $w = P\Delta V = 0$

Thus: $\Delta \mathbf{E} = \mathbf{q}_{\mathbf{v}}$

•Now, if we add *heat* to the system:

q > 0, so $\Delta E > 0$ (E incr.)

-temp incr -> E_k = 3/2 RT -> ΔE_k = 3/2 R ΔT



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Example: Gas in a cylinder (variable volume)

Ok, now let's allow the piston to move, but let's disallow heat flow (q = 0) - adiabatic process

So: $\Delta E = W = -P\Delta V$

Movie!

- Gas Compression: $\Delta V < 0 \rightarrow \underline{DE \ is \ +}$
 - -work is done on the system
 - -temperature of the gas *increases*
- Gas Expansion: $\Delta V > 0 \rightarrow \underline{DE \ is \ -}$
 - -work is done by the system
 - -temperature of the gas decreases

Measuring ΔE

- We can measure q by the change in temperature:
 - If q > 0: heat is added to the system
 - -endothermic (system absorbs heat)
 - -temperature (of the surroundings) decreases
 - If **q < 0**: heat is *given off* by the system
 - -exothermic (system loses heat)
 - -temperature (of the surroundings) <u>increases</u>

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Calorimetry: Measuring ∆E

■ We can quantify heat flow (q) by measuring the change in temperature of a system: Calorimetry

Heat Capacity (C): amount of heat (q) required to raise the temperature of a substance by 1 K

-if we calculate C for a specific amount of a particular substance, we call it the **Molar Heat Capacity** (c_v at constant volume) or the **Specific Heat Capacity** (c_s , per gram of the substance)

Example: for 100.0 g $H_2O \rightarrow specific heat = 4.184 J/g - K$

 $C = \text{mass x specific heat} = \text{m x c}_s$

 $= 100.0 g \times 4.184 J/g - K$

= 418.4 J/K

Heat flow and temperature

■ Now we can relate **q** and temperature:

$$q = C (T_{final} - T_{initial})$$

Example: How much heat is required to raise the temperature of 232.0 g H₂O from 25.0 °C to 78.0 °C?

$$q = C\Delta T = (m \times specific heat)(\Delta T)$$

= (232.0 g x 4.184 J/g -K)(78.0 - 25.0)

= (970.688 J/K)(53.0 K)

= $51446.464 J = 5.14 \times 10^4 J$

= 51.4 kJ

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Constant-Volume Calorimetry

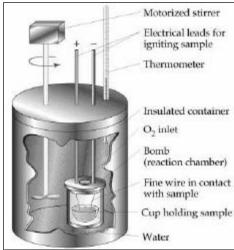
- Use a "bomb" calorimeter:
- -typically used with combustion reactions
- -heat (q) from rxn is transferred to the water and the calorimeter
- -knowing the *heat capacity* of the calorimeter:

$$q_{rxn} = -C_{cal} \times \Delta T$$

<u>So:</u>

 $q_v = \Delta E$

(w=0 @ constant volume)



Enthalpy

- Chemistry is commonly performed at *constant pressure*, so:
 - -it is easy to measure *heat flow* (q_p)
 - -work (P $\!\Delta V\!)$ is small (but finite) and hard to measure

Define a new term: **Enthalpy** (H)

$$H = E + PV$$

.

Relating Enthalpy and Heat

- Recall: $\Delta \mathbf{E} = \mathbf{q} + \mathbf{w}$
- At constant pressure: $\Delta E = q_p P\Delta V$
- Rearranging: $q_p = \Delta E + \Delta PV$

$$q_p = D(E + PV)$$

■ Substituting: $\underline{q_p} = DH$

So, if we measure q_{p} , then we can obtain the enthalpy change (ΔH) directly

Constant-Pressure Calorimetry

- So-called "coffee-cup" calorimetry:
- •Add reactants to cup
- •Measure resulting temperature increase (or decrease)

$$\bullet q_{soln} = -q_{rxn}$$

- •<u>So</u>: $\Delta H = -q_{soln} = -m_{soln}(sp heat)\Delta T$
- •You will do this this week in lab!

