

# Is Horizon Sampling More Powerful Than Depth Sampling?

Chris Johnson

*Syracuse University*



# The 'Quantitative Pit' Method



# The Method



# The Method



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## **Advantages of Depth Sampling Generally**

- Reproducible: No need for ‘expert’ horizon delineation.
- Easy (if not using ‘quantitative’ technique).
- Statistically efficient: not all profiles will have all horizons.

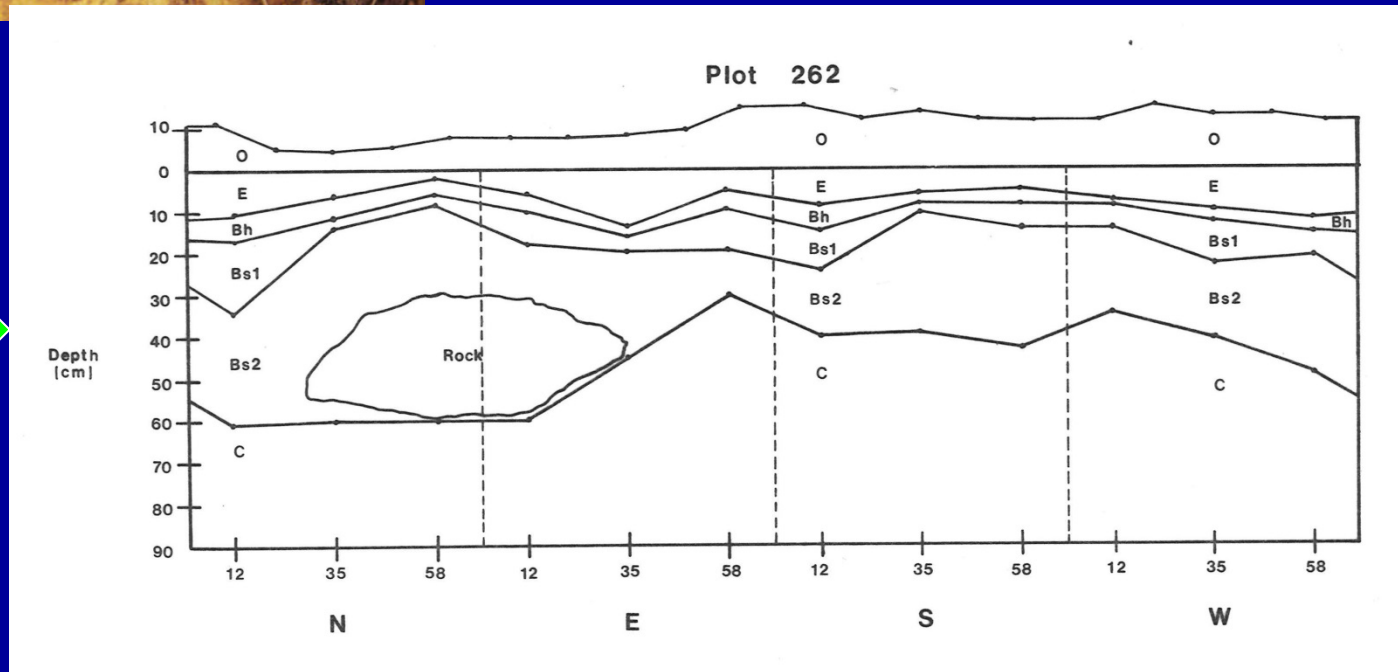
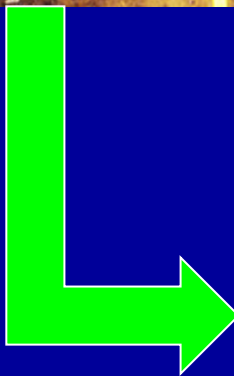
## **Advantages of the Quantitative Pit Method Specifically**

- Sample integrates all soil in the layer.
- Soil mass per unit area (Mg/ha) is measured directly.
  - No need for bulk density estimate.
- Bulk density and “coarse fragment” content can be estimated in stony soils.

# Horizon Sampling



# Horizon Sampling





# Advantages of Horizon Sampling

- Ease of interpretation: Horizonation reflects soil processes.
- Statistically efficient:
  - Horizons are differentiated by chemistry, texture, organic matter.
  - Chemical properties should be relatively consistent for a given horizon.
  - Depth layers incorporate multiple horizons.
  - Presence/absence of horizons varies in the landscape.
  - Data derived from horizon sampling should be less variable than data derived from depth layers.

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  - Chemical properties should be relatively consistent for a given horizon.
  - Depth layers incorporate multiple horizons.
  - ~~Presence/absence of horizons varies in the landscape.~~
  - **Data derived from horizon sampling should be less variable than data derived from depth layers.**

↑  
Is this true?

# Hubbard Brook Watershed 5 Experiment



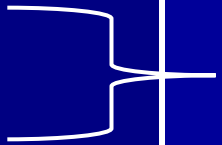


- 60 quantitative pits, sampled by depth increment: 0-10 cm, 10-20 cm, 20 cm-C/R
- In 1983 (before cutting), 30 pits were also sampled by horizon.



- Whole-tree clear-cut in winter 1983-84
- Resampled in 1986, 1991, 1997.
  - 60 quantitative pits each year
  - Horizon sampling carried out:
    - > 48 pits (1986)
    - > 59 pits (1991)
    - > 60 pits (1998)

# Matching Horizons to Depths

1983 (Pre-Harvesting) Data:

| Horizon | Average Thickness Where Present (cm) |  |                           |
|---------|--------------------------------------|--|---------------------------|
| E       | 3.5                                  |   | Compare to 0-10 cm layer  |
| Bh      | 4.3                                  |  |                           |
| Bs1     | 4.9                                  |  | Compare to 10-20 cm layer |
| Bs2     | 39.6                                 |  | Compare to 20+ cm layer   |

Johnson et al., *SSSAJ* (1991)

# Example: Soil Nitrogen

1983 (Pre-Harvesting) Data:

| Horizon | Mean N<br>(g kg <sup>-1</sup> ) | Std. Dev.<br>(g kg <sup>-1</sup> ) | CV (%)    |
|---------|---------------------------------|------------------------------------|-----------|
| E       | 1.24                            | 0.86                               | <b>69</b> |
| Bh      | 3.36                            | 1.02                               | <b>30</b> |
| Bs1     | 2.81                            | 0.64                               | <b>23</b> |
| Bs2     | 1.44                            | 0.51                               | <b>35</b> |

| Layer    | Mean N<br>(g kg <sup>-1</sup> ) | Std. Dev.<br>(g kg <sup>-1</sup> ) | CV (%)    |
|----------|---------------------------------|------------------------------------|-----------|
| 0-10 cm  | 3.60                            | 1.90                               | <b>53</b> |
| 10-20 cm | 2.48                            | 1.31                               | <b>53</b> |
| 20+ cm   | 1.57                            | 0.73                               | <b>46</b> |

# Example: Soil Nitrogen

## F-Test for Equality of Variances

Test Statistic:  $F = \frac{S_1^2}{S_2^2}$ , where  $S_1^2 > S_2^2$

Compare to critical value of F-Distribution, with  $k_1, k_2$  d.f.:

$$k_1 = N_1 - 1; k_2 = N_2 - 1$$

## Total Nitrogen Data:

| Horizon / Layer | Var <sub>Hor</sub> | Var <sub>Layer</sub> | $F$  | $F_{critical}$ | Var <sub>Hor</sub> < Var <sub>Layer</sub> ? |
|-----------------|--------------------|----------------------|------|----------------|---|
| E vs. 0-10      | .740               | 3.61                 | 4.88 | 1.95           | <b>Yes</b>                                  |
| Bh vs. 0-10     | 1.04               | 3.61                 | 3.47 | 1.87           | <b>Yes</b>                                  |
| Bs1 vs. 10-20   | .410               | 1.72                 | 4.20 | 1.93           | <b>Yes</b>                                  |
| Bs2 vs. 20+     | .260               | .533                 | 2.05 | 1.88           | <b>Yes</b>                                  |

# Example: Soil Nitrogen

Are these differences “important”?

## Power Calculation:

Set:  $N = 60$

$\alpha = 0.05$

$\beta = 0.75 = \text{Power}$

| Horizon | Mean N<br>(g kg <sup>-1</sup> ) | Detectable<br>Difference<br>(g kg <sup>-1</sup> ) | ± %   |
|---------|---------------------------------|---|-------|
| E       | 1.24                            | 0.42  | ± 34% |
| Bh      | 3.36                            | 0.49  | ± 15% |
| Bs1     | 2.81                            | 0.31  | ± 11% |
| Bs2     | 1.44                            | 0.25  | ± 17% |

| Layer    | Mean N<br>(g kg <sup>-1</sup> ) | Detectable<br>Difference<br>(g kg <sup>-1</sup> ) | ± %   |
|----------|---------------------------------|---|-------|
| 0-10 cm  | 3.60                            | 0.92  | ± 26% |
| 10-20 cm | 2.48                            | 0.64  | ± 26% |
| 20+ cm   | 1.57                            | 0.35  | ± 22% |

A change of 20%, for example, would be detected using horizons, but not layers.

# Exchangeable Calcium

## F-Test for Equality of Variances:

| Horizon / Layer | $\text{Var}_{\text{Hor}}$ | $\text{Var}_{\text{Layer}}$ | $F$  | $F_{\text{critical}}$ | $\text{Var}_{\text{Hor}} < \text{Var}_{\text{Layer}}?$ |
|-----------------|---------------------------|-----------------------------|------|-----------------------|--|
| E vs. 0-10      | 0.103                     | 0.172                       | 1.67 | 1.92                  | <b>No</b>  |
| Bh vs. 0-10     | 0.0918                    | 0.172                       | 1.87 | 1.83                  | <b>Yes</b>   |
| Bs1 vs. 10-20   | 0.0296                    | 0.0670                      | 2.26 | 1.90                  | <b>Yes</b>   |
| Bs2 vs. 20+     | 0.0256                    | 0.0313                      | 1.22 | 1.84                  | <b>No</b>  |



# Exchangeable Calcium

## Power Calculation:

$$N = 60$$

$$\alpha = 0.05$$

$$\beta = 0.75 = \text{Power}$$

| Horizon | Mean Ex. Ca<br>( $\text{cmol}_c \text{ kg}^{-1}$ ) | Detectable Difference<br>( $\text{cmol}_c \text{ kg}^{-1}$ ) | $\pm$ %    |
|---------|--|--|------------|
| E       | 0.41   | 0.156  | $\pm 38\%$ |
| Bh      | 0.63   | 0.147  | $\pm 23\%$ |
| Bs1     | 0.35   | 0.083  | $\pm 24\%$ |
| Bs2     | 0.17   | 0.078  | $\pm 46\%$ |

| Layer    | Mean Ex. Ca<br>( $\text{cmol}_c \text{ kg}^{-1}$ ) | Detectable Difference<br>( $\text{cmol}_c \text{ kg}^{-1}$ ) | $\pm$ %    |
|----------|--|--|------------|
| 0-10 cm  | 0.79   | 0.201  | $\pm 25\%$ |
| 10-20 cm | 0.36   | 0.126  | $\pm 35\%$ |
| 20+ cm   | 0.19   | 0.086  | $\pm 45\%$ |

# Conclusions

1. For total N and exchangeable Ca, the variance of the layer data was always greater than the variance of the horizon data. In 6/8 cases, the difference was statistically significant.
2. Power calculations suggest that sampling by horizon can reduce the detectable difference in concentration by more than 50%.
3. However, estimating chemical pools using horizon data is difficult in stony soils (maybe next year...)